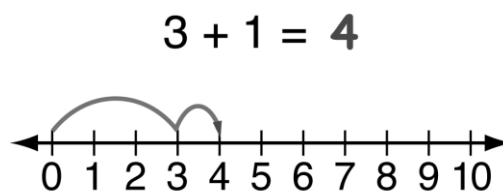


Name: \_\_\_\_\_

## Adding and subtracting fractions

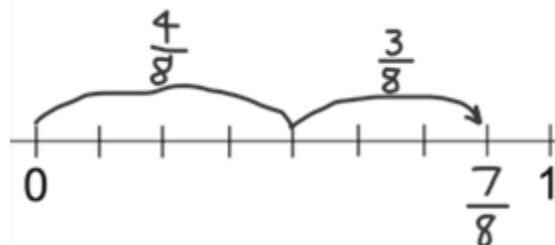
### Adding fractions on the number line:

You know how to add whole numbers using a number line. For example, if you want to add 3 and 1, you move 3 units to the right of zero, and then you move another 1 unit. This lands you at the number 4, *which is 4 units from zero*.



You add fractional units on the number line in the same way.

Here is a section of the number line. The segment of the line between 0 and 1 is **one unit** in length. It has been divided into 8 equal pieces. Each piece is  **$1/8$  unit** in length.

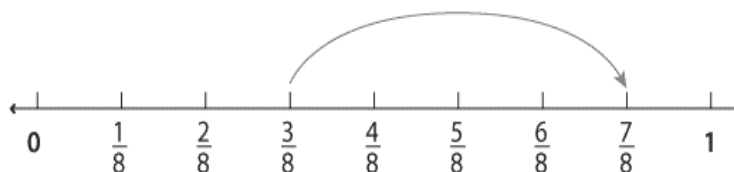


Let's say I want to add  **$4/8$**  and  **$3/8$** . I first move  **$4/8$**  unit to the right of zero, and then I move another  **$3/8$**  unit. This lands me on the fractional number  **$7/8$** , *which is  **$7/8$  unit** from zero*.

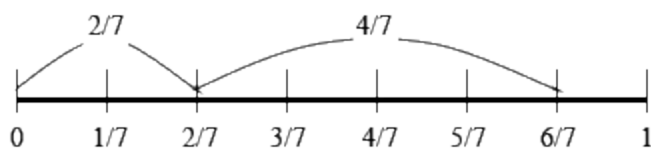
Adding fractions is commutative.

$$4/8 + 3/8 = 3/8 + 4/8.$$

If we start at  $3/8$  and move  $4/8$  units farther along the number



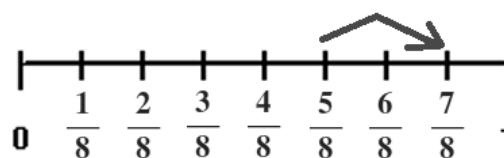
line, we still end up  $7/8$  unit from zero at the fractional number  $7/8$ .



The figure on the left show how we would add  $2/7$  and  $4/7$  on the number line. Now, we would divide the **unit distance**—the distance

between 0 and 1—into **7** equal pieces. This time each piece is  **$1/7$  unit** in length. To add  $2/7 + 4/7$ , we move  $2/7$  unit along the number line from zero and then move another  $4/7$  unit. This lands us on the fractional number  **$6/7$** , which is  **$6/7$  unit** from zero. So,  $2/7 + 4/7 = 6/7$ . (We could also have started at the point  $2/7$  and moved  $4/7$  unit farther along the number line, still ending up at the point  $6/7$ .)

This unit segment shows adding  $2/8$  to  $5/8$  by starting at  $5/8$  and moving another  $2/8$  unit to the right.  $5/8 + 2/8 = 7/8$ .



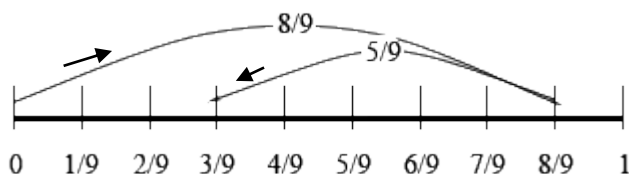
Name: \_\_\_\_\_

## Adding and subtracting fractions

### Subtracting fractions on the number line:

You subtract fractions on the number line in the same way you subtract whole numbers.

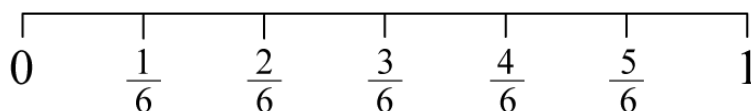
Let's say we want to subtract  $5/9$  from  $8/9$ .



$$8/9 - 5/9 = 3/9$$

We first divide the unit distance into **9** equal parts. Each part is  **$1/9$**  unit in length. We go to the point  **$8/9$**  on the number line by moving a distance of  **$8/9$  unit** to the right of zero. Then we move back  **$5/9$  unit** to the left (toward zero). [Or, we can just start at the point  **$8/9$**  and move to the left  **$5/9$  unit.**] We end up at the point  **$3/9$** , which is  $3/8$  unit from zero.

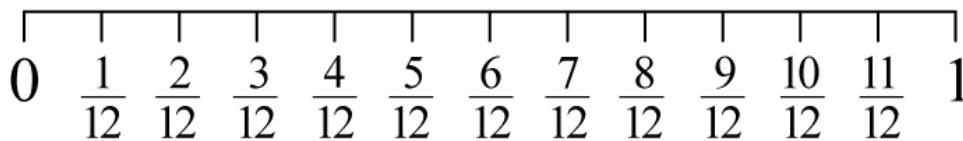
1. Using the number line below, show how to add  $2/6 + 3/6$ .



$$2/6 + 3/6 = \underline{\hspace{2cm}}$$

2. Use the number line below to subtract  $7/12 - 5/12$ .

$$7/12 - 5/12 = \underline{\hspace{2cm}}$$



Another way to subtract two numbers on the number line is to see how far apart they are (the 'difference' between them). In this case,  $7/12$  and  $5/12$  are  $2/12$  unit apart on the number line. So, the 'difference' between them is  $2/12$  unit.