Here is a circle that has been divided into **9** equal pieces. How much of it is shaded? None of it.

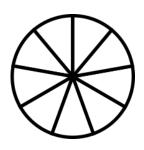
What fraction of it is shaded? Let's see...

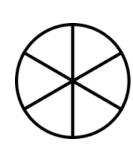
There are **9** pieces and **0** pieces are shaded.

**0** out of **9** pieces are shaded. So, **0/9** circle is shaded.

How many circles are shaded? **0** circles are shaded.

**0/9** circle is **0** circle. 0/9 = 0.





This circle has been divided into **6** equal parts. What fraction of this circle is shaded?

**0** parts out of **6** parts are shaded. That's **0/6** shaded circle.

How many shaded circles do we have? Again, **0** circles.

0/6 circle is **0** circle. 0/6 = 0.

**0/9** and **0/6** are each equal to **0**. So are 0/1, 0/2, 0/14, and 0/67.

Any fraction that has 0 for a numerator is equal to zero.

NOTE: A fraction **cannot** have zero for a *denominator*. Our number system does not allow it.

This makes sense. You can't divide something into **0** parts. (*Remember*: You can't divide by zero.) And if you don't divide it at all, you still have the whole thing. You still have **1** whole.

Use the symbols  $\{<, =, >\}$  to compare the following fractions: