

Name: \_\_\_\_\_

## DIVISION

We are going to divide 24 by 6 using two different methods. The two methods are equivalent. They are just different ways of looking at the division problem  $24 \div 6$ .

1. First, take 24 cubes and put them into **groups** of **6 cubes** each.

How many **groups** do you have? \_\_\_\_\_  $24 \div 6 =$  \_\_\_\_\_

How many **cubes in each group**? \_\_\_\_\_

Write the total number of cubes as a multiplication expression that looks *like this*:

(number of **groups**)  $\times$  (number of **cubes in a group**) = **total** number of **cubes**.

\_\_\_\_\_  $\times$  \_\_\_\_\_ = \_\_\_\_\_

2. Now take another 24 cubes and put them into **6 groups** so that each group has the same number of cubes.

How many **groups** are there? \_\_\_\_\_

How many **cubes in each group**? \_\_\_\_\_  $24 \div 6 =$  \_\_\_\_\_

Write the total number of cubes as a multiplication expression that looks *like this*:

(number of **groups**)  $\times$  (number of **cubes in a group**) = **total** number of **cubes**.

\_\_\_\_\_  $\times$  \_\_\_\_\_ = \_\_\_\_\_

3. The '*total number of cubes*' in each of your multiplication problems should be the same.

The first time you divided up the cubes, you had \_\_\_\_\_ groups, each with \_\_\_\_\_ cubes.

The second time, you had \_\_\_\_\_ groups, each with \_\_\_\_\_ cubes.

Which property of our number system tells you that these two expressions must have the same value?

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4. Take **20 cubes** and arrange them into as many **groups** as you can with exactly **6 cubes** in each group.

How many **groups** can you make? \_\_\_\_\_

How many **cubes in each group**? \_\_\_\_\_

How many **total cubes** did you use? \_\_\_\_\_ x \_\_\_\_\_ = \_\_\_\_\_

How many **left-over cubes** do you have? \_\_\_\_\_

5. Now take **20 cubes** and divide them fairly into **6 groups** so that each group has exactly the same number of cubes.

How many **cubes in each group**? \_\_\_\_\_

How many **groups** are there? \_\_\_\_\_

How many **total cubes** did you use? \_\_\_\_\_ x \_\_\_\_\_ = \_\_\_\_\_

How many **left-over cubes** do you have? \_\_\_\_\_

6. In each of the two problems above did you have the same number of cubes left-over? \_\_\_\_\_ In each, did you use the same total number of cubes to make your piles? \_\_\_\_\_

7. The two methods you used to divide up the 20 cubes are equivalent. Each is a way of dividing 20 by 6. The left-over cubes are called the **remainder**.  **$20 \div 6 = 3$  with a remainder of 2.**

You can think of  $20 \div 6$  in either of these ways (6 groups or groups of 6).

You can also think of  $20 \div 6$  as finding the greatest whole number that you can multiply by 6 so that the product (answer) is as close as possible to—but *not greater than*—20.

That number is **3**. The **remainder** (left-over) is then the difference between 20 and  $(6 \times 3)$ . **R** (remainder) =  $20 - (6 \times 3) = 20 - 18 = 2$ .

We write  **$20 \div 6 = 3 \text{ R}2$**  (20 divided by 6 equals 3 with a remainder of 2.)